

# LANGUAGE TEST RELIABILITY

- On defining reliability
- Sources of unreliability
- Methods of estimating reliability
- Standard error of measurement
- Factors affecting reliability



## ON DEFINING RELIABILITY

- Non-technical definitions of reliability
  - A. Dictionary definition: something that is correct or true or someone who can be trusted
    1. The incident cast doubt on her motives and reliability.
    2. The reliability of these results has been questioned.
  - B. Stability or consistency of results or test scores



# TECHNICAL DEFINITION OF RELIABILITY

The ratio of true score variance to observed score variance

- A. Observed score = true score + error score
- B. Uncorrelated nature of error scores with true scores

$$r = \frac{V_x - V_e}{V_x}$$



# METHODS OF ESTIMATING RELIABILITY

- I. Some preliminaries
  - A. Reliability coefficient or reliability estimate
  - B. Range of reliability coefficient: 00.0 to 1.00
  - C. Correlation coefficient to estimate reliability



- II. Common methods of estimating reliability
  - A. Test-retest method
  - B. Parallel-forms method
  - C. Internal consistency methods
    - 1. Split-half method
    - 2. Cronbach alpha
    - 3. Kuder-Richardson methods



## TEST-RETEST RELIABILITY

- Administration of the same test to the same testees twice
- Obtaining two sets of scores, lining them up, and calculating the correlation coefficient
- Pearson product moment correlation coefficient to estimate test-retest reliability
- Conservative estimate of reliability



$$\underline{\underline{r_{xy}}} = \frac{\Sigma(X - M_x)(Y - M_y)}{NS_xS_y}$$

$$M_x = 55.1; M_y = 52.5; S_x = 15.5; S_y = 16.1$$

$$\Sigma(X - M_x)(Y - M_y) = 895.00$$

$$\underline{\underline{r_{xy}}} = \frac{895.00}{30(15.5)(16.1)} = \frac{895.00}{7486.5} = 0.11 \approx .12$$

## Shortcomings of test-retest reliability

- A. Existence of two administrations
- B. Learning effect
- C. Practice effect



# PARALLEL-(EQUIVALENT OR ALTERNATE), FORMS RELIABILITY

## ○ Definition:

1. Administration of two different versions of the same test to a single group of testees
2. Correlation coefficient to estimate the reliability of forms

## ○ Requirements:

1. Equal mean and standard deviations of two forms
2. Correlation of two forms with a third measure
3. Length of the test
4. Item types
5. Table of specifications





# INTERNAL-CONSISTENCY RELIABILITY METHODS

## Split-half method

### ○ Definition:

1. Dividing the same test into two parts and administering it to the same testees only once
2. Spearman-Brown prophecy formula to estimate two parts
3. Measurement of the same trait or ability of the two parts—homogeneity of items
4. Independence of the two parts
5. Importance of length



- Ways of splitting the test
  1. Easy-to-difficult method
  2. Odd-even method
- Adjustment for full-test reliability

$$r = \frac{2 (r \text{ half})}{1 + (r \text{ half})}$$

$$r = \frac{2 (0.95)}{1 + (0.95)}$$

$$= \frac{1.90}{1.95} = 0.97$$



# ADVANTAGE AND DISADVANTAGE

## I. Advantages

### A. Practicality

1. No twice administration of the same test
2. No two different versions of the same test

## II. Disadvantages

### A. Insurance of homogeneity

### B. Different subsections of the same test



# KUDER-RICHARDSON METHODS

## I. Kuder-Richardson formula 20

$$K - R20 = \frac{k}{k - 1} \left( 1 - \frac{\sum SD_i}{SD_t} \right)$$

K-R20 = Kuder-Richardson formula 20

K = number of items

$\sum SD_i$  = sum of item variances

SD<sub>t</sub> = test score variance

## II. Kuder-Richardson formula 21

$$K - R21 = \frac{k}{k - 1} \left( 1 - \frac{M(k - M)}{kSD} \right)$$

K-R21 = Kuder-Richardson formula 21

K = number of items

M = mean of test scores

SD = standard deviation of test scores



$$K - R21 = \frac{k}{k-1} \left( 1 - \frac{M(k-M)}{kSD} \right)$$

$$K - R21 = \frac{60}{60-1} \left( 1 - \frac{48(60-48)}{60(12.96)} \right)$$

$$= K - R21 = \frac{60}{59} \left( 1 - \frac{576}{777.6} \right)$$

$$= K - R21 = 1.0169492 (1 - 0.7407407)$$

$$= K - R21 = 1.0169492 \times 0.2592593$$

$$= 0.2636535$$



$$K - R_{20} = \frac{k}{k - 1} \left( 1 - \frac{\sum SD_i}{SD_t} \right)$$

$$K - R_{21} = \frac{60}{60 - 1} \left( 1 - \frac{1.55}{12.96} \right)$$

$$= K - R_{21} = \frac{60}{59} (1 - 0.1195988)$$

$$= K - R_{21} = 1.0169492 \times 0.8804012$$

$$= 0.8953233$$



# ADVANTAGES, ASSUMPTIONS AND DIFFERENCES

- I. Kuder-Richardson formula 21
  - A. No administration of the same test twice
  - B. Lack of two different versions of the same test
  - C. No separate scoring of odd and even numbered items
  - D. No correlation coefficient calculation
  - E. No adjustment for length
- II. Assumptions
  - A. Equality of items
  - B. Independence of items scored
  - C. Measurement of the same trait



### III. Differences

- A. K-R21 is simpler to calculate and more common in language testing than K-R20
- B. K-R21 is more conservative than K-R20, yielding a lower reliability coefficient





# WHICH METHOD OF ESTIMATION TO CHOOSE

## Criteria to choose

- I. Frequency of appearance—internal consistency methods
- II. Function of the method
- III. Conceptual clarity—split-half method
- IV. Ease of calculation—K-R21
- V. Accuracy of results—K-R20 and split-half method
- VI. Weighting of items in a test—Cronbach alpha